

ALMA MATER STUDIORUM Università di Bologna Dipartimento di Informatica - scienza e ingegneria

SYNTACTIC ANALYSIS

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CORSO 72671 - COMPLEMENTI DI LINGUAGGI DI PROGRAMMAZIONE

THIS LECTURE





- * recaps about grammars
- * parse trees and ambiguity
- * design of a parser (preliminaries)
- **reference**: Torben Morgensen: **Basics of Compiler Design**, chapter 3 (sections 1—5)

DERIVATIONS AND PARSE TREES

take the grammar BExp → (BExp) BExp → Digit Digit → 0 | 1 | . . . | 9

the derivation $BExp \Rightarrow (BExp) \Rightarrow ((BExp)) \Rightarrow ((Digit)) \Rightarrow ((1))$ may be represented graphically by **trees** where

- * the **root** is the initial symbol
- * the **leaf** is a terminal or ϵ
- * every internal node is a non-terminal
- * the edges node-descendant represent a production

these trees are called **parse trees** = syntax trees



PARSE TREES AND AMBIGUITY

the two leftmost derivations

$$\begin{array}{rcl} \operatorname{Exp} & \Longrightarrow & \operatorname{Exp} - & \operatorname{Exp} \\ & \Longrightarrow & \operatorname{Exp} - & \operatorname{Exp} - & \operatorname{Exp} \\ & \Longrightarrow & \operatorname{Digit} - & \operatorname{Exp} \\ & \Longrightarrow & 3 - & \operatorname{Exp} - & \operatorname{Exp} \\ & \implies & 3 - & \operatorname{Digit} - & \operatorname{Exp} \\ & \implies & 3 - & 2 - & \operatorname{Exp} \\ & \implies & 3 - & 2 - & \operatorname{Digit} \\ & \implies & 3 - & 2 - 1 \end{array}$$

correspond to the **two** parse trees





Exp →	Ex	р.	– E	Exp	2			
Exp →	Dig	it						
Digit	→ 0		1		•	•	•	ç





LEFTMOST DERIVATIONS, PARSE TREES AND AMBIGUITY

Definition: ambiguous grammar

let G be a grammar, if a string in $\mathcal{L}(G)$ has **several leftmost derivations** (or several rightmost derivations) or is **represented by different parse trees**, then G is **ambiguous**

note: ambiguity means different semantics of the same sentence



PARSING

once sequences of characters have been recognized in tokens, then one needs to **analyze the syntactic structure** of the sentences/programs to **check whether they belong or not to the language**

parsing = takes in input token sequences and returns
 abstract syntax tree (AST)

example: if (x == y) z = 1; else z = 2;

corresponds to the token sequence (lexer's output)

IF LPAR IDE(x) EQUALS IDE(y) RPAR IDE(z) ASSIGN CONST(1) SEMI ELSE IDE(z) ASSIGN CONST(2) SEMI $\frac{7}{7}$

EXAMPLE OF PARSE TREE

the parse tree of

if (x == y) z = 1; else z = 2;



PARSE TREES VS. ABSTRACT SYNTAX TREES

parse trees

* have all the tokens, included those that the parser uses for detecting

- nesting of sub-expressions (such as parentheses)
- punctuation marks (semicolons, colons, etc.)

* technically, the parse trees show up all the concrete syntax

* the parse trees are almost never built explicitly — they are too-much verbose; they are used during the computations of the parsers

abstract syntax tree (AST)

- * remove partial results of the parsing, erasing useless tokens, flattening the tree by removing internal nodes, etc.
- * technically, the AST show up an "abstract" version of the syntax

PARSING

the parser returns the abstract syntax tree



in the abstract syntax tree several tokens are removed!

DESIGN OF A PARSER

- it can be done "by hand", of course
- * ok for small languages
- * very hard for real programming languages
- or, as for the lexer, it is possible **to use an automatic parser** generator
- * you need to specify the syntactic structure of the language (the productions)
- * and the generator output the parser

as for the lexer, **we start with a parser done "by hand"** (thus you can understand why it is better to use a parser generator)

FIRST EXAMPLE: THE BEXP GRAMMAR

bexp \rightarrow (bexp) bexp \rightarrow NUM NUM \rightarrow (0 | 1 | . . . | 9)+

question (before describing the parser): why a (simple) DFA cannot recognise this language?

PARSER CODE PRELIMINARIES

- * let **TOKEN** be an enumerated data-type that define the possible tokens
 - LPAR, RPAR, NUM

* let in[] be a (global) array whose elements are of type TOKEN and that represent the sequence of tokens returned by the lexer

* let **next** be a (global) integer that represents the index of the token sequence

THE PARSER CODE DONE "BY HAND"

```
bexp \rightarrow NUM
                                  NUM \rightarrow (0 | 1 |
                                                         9)+
public void ParseBexp() {
  next = next+1;
  TOKEN nextToken = in[next];
   if (nextToken == NUM) return();
  else if (nextToken == LPAR) {
             ParseBexp();
             next = next+1;
             if (in[next] == RPAR) return();
            else System.out.print("syntax error") ;
   } else System.out.print("syntax error") ;
}
```

bexp \rightarrow (bexp)

nextToken is useless !

WHERE IS BUILT THE PARSE TREE?

in the previous method: NOWHERE!

however it is possible to extend the method **ParseBexp** in order to build the parse tree following the invocations

example: with input (((1))) the lexer returns

LPAR LPAR LPAR NUM RPAR RPAR RPAR

and the (extended) parser builds



SECOND EXAMPLE: THE LANGUAGE EXP

 $exp \rightarrow exp - exp$ $exp \rightarrow NUM$ $NUM \rightarrow (0 | 1 | . . | 9)+$

let **TOKEN** be an enumerated data-type that defines the possible tokens (as before)

• we have tokens MINUS, NUM

```
public void ParseExp(){
    next = next+1; TOKEN nextToken = in[next];
    if (nextToken==NUM) {
        if (in[next+1]==MINUS) {
            next = next+1; ParseExp();
            } else return();
        } else System.out.print("syntax error");
}
```

SUBTRACTION EXPRESSIONS CONTINUED

remarks:

- * a more complex language
 - hence, harder to see how the parser works (and if it works correctly at all)
- \ast the parse tree is actually not really what we want
 - consider input 3-2-1
 - what's undesirable about this parse tree's structure?



WE NEED A CLEAN SYNTACTIC DESCRIPTION

- just like with the scanner, writing the parser by hand is painful and error-prone
- * consider adding +, *, / to the last example!
- let's separate the **what** and the **how**
- * what: the syntactic structure described with a context-free grammar
- * how: the parser which reads the grammar as input and produces the parse tree

THE WHAT: CONTEXT-FREE GRAMMARS

- **idea**: we can describe the syntactic structure by using context-free grammars!
- programming language constructs have **recursive structure**
- * this is the reason why our hand-written parser had this structure, too

example: an expression is either:

- a number, or
- a variable, or
- an expression + expression, or
- an expression expression, or
- an (expression), or

simple arithmetic expressions:						
exp	→ NUM	ID	(exp)			
	exp -	exp	exp + exp			

THE HOW: USE DERIVATIONS FOR PARSING?

- a program (a string of tokens) has **no syntax error** if it can be derived from the grammar
- * so far you only know how to derive some (any) string
- * you do not know how to check whether a given string is derivable or not

how to do parsing?

PARSING

once the sequence of characters have been recognized as sequence of tokens, one needs to analyze the syntactic structure of sentences/programs to check whether they belong to the language or not

parsing = takes in input sequences of tokens and
 returns abstract syntax trees (AST)



COMPARISON WITH LEXICAL ANALYSIS

Phase	Input	Output
Lexer	sequence of characters	sequence of tokens
Parser	sequence of tokens	AST, built from parse tree

NEXT LECTURE

